

Scale size of machines, soil compaction, economy

Case study: sugar beet harvesting

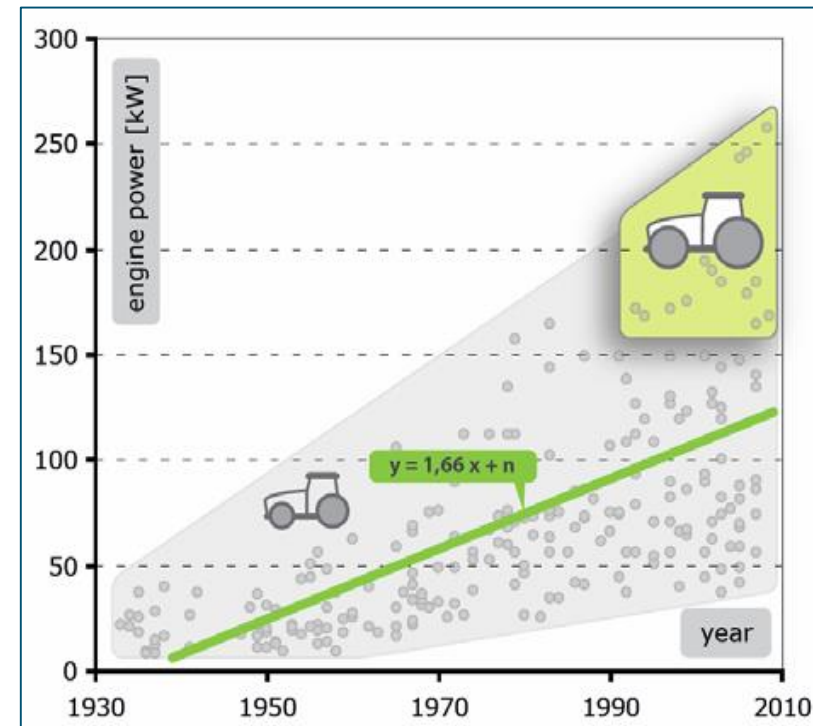
Krijn Schetters, Eldert van Henten



Current situation

Trend in agricultural machinery: Big, bigger, biggest

- Advantages:
 - High capacity
 - Labour efficiency
- Disadvantages:
 - Not very manoeuvrable
 - Only suitable on large fields
 - Sizes are at maximum
 - Soil compaction



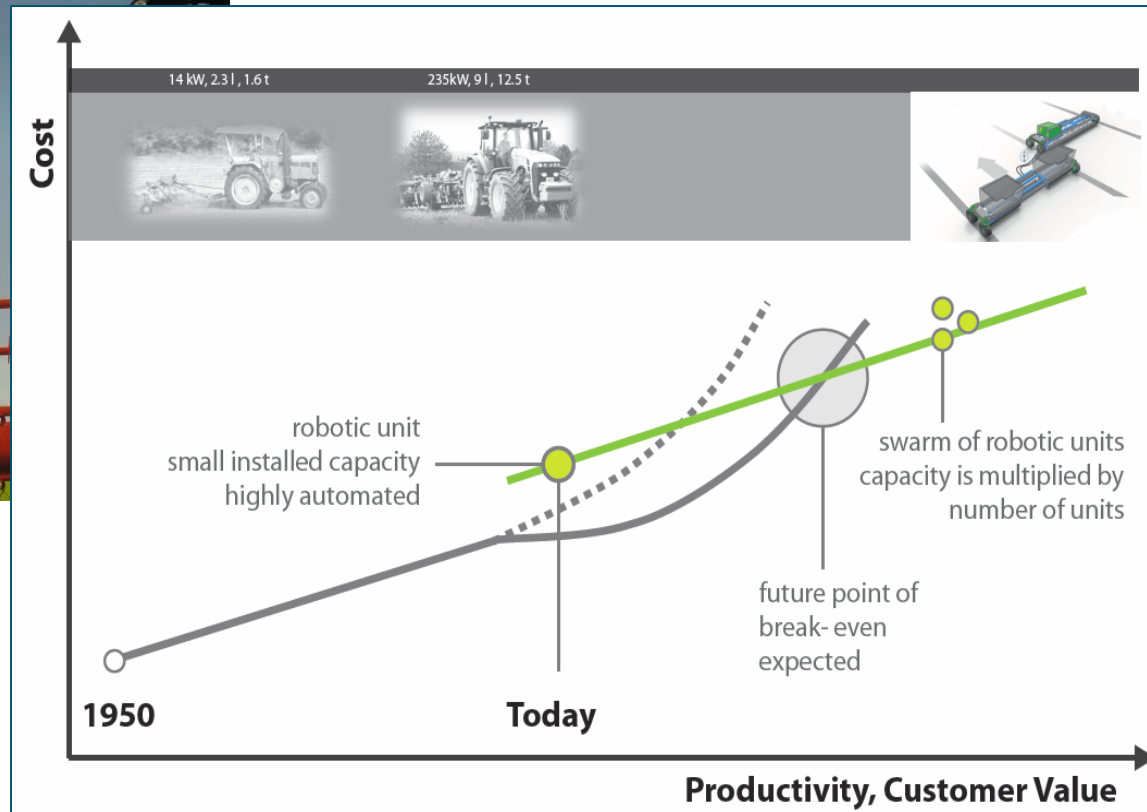
(Herlitzius, 2013)

Current situation

- Further up-scaling very hard
- Development of autonomous control
 - Advantages of large-scale disappear
 - Opportunity to reduce scale size



Current situation – future perspective



Research question

What is the most promising scale-size for sugar beet harvesters?

- Most promising in terms of:
 - Soil compaction
 - Economy

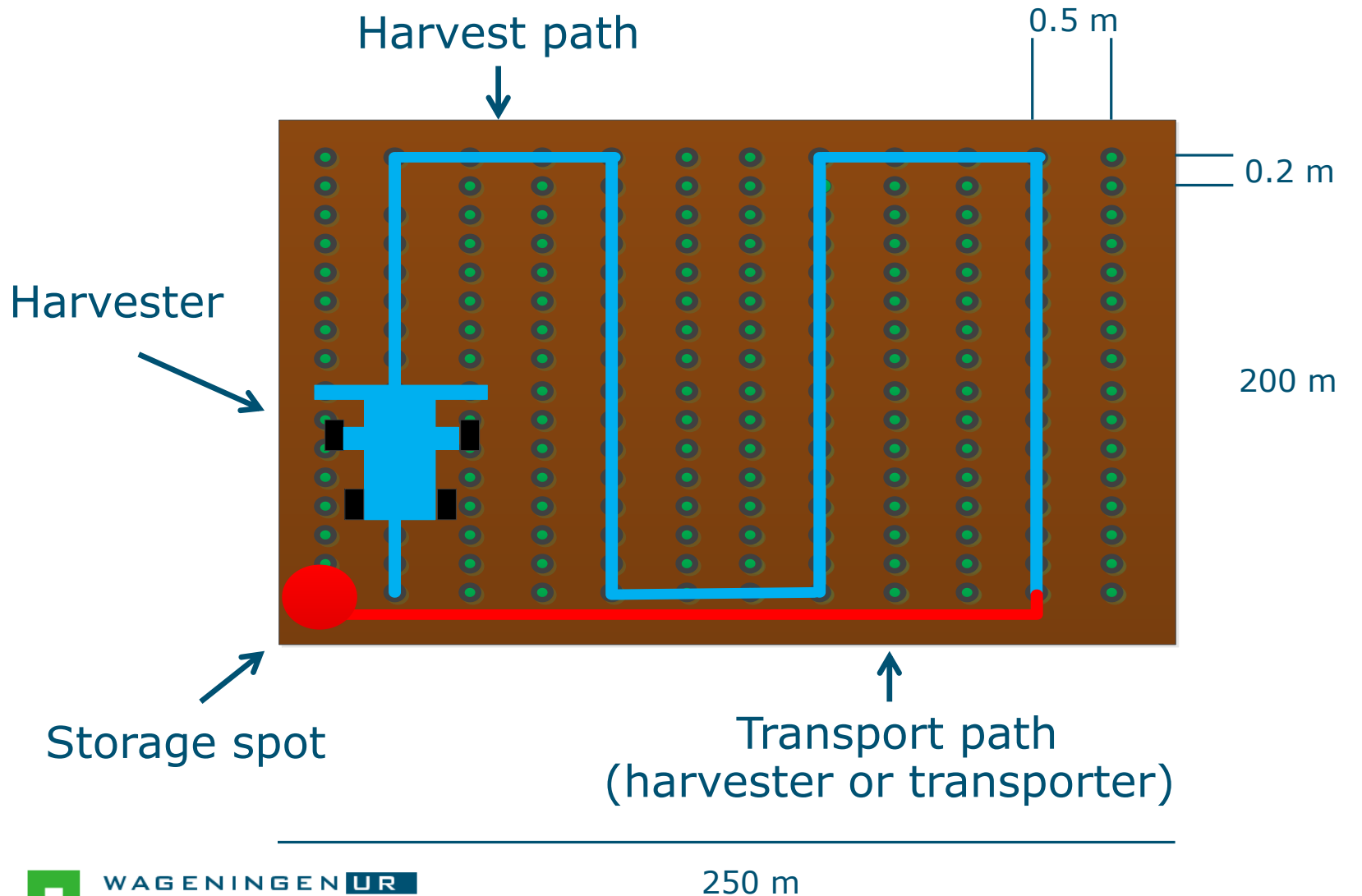


Methodology

- Development of model
- Formulation of hypotheses
- Evaluation of hypotheses with scenario studies

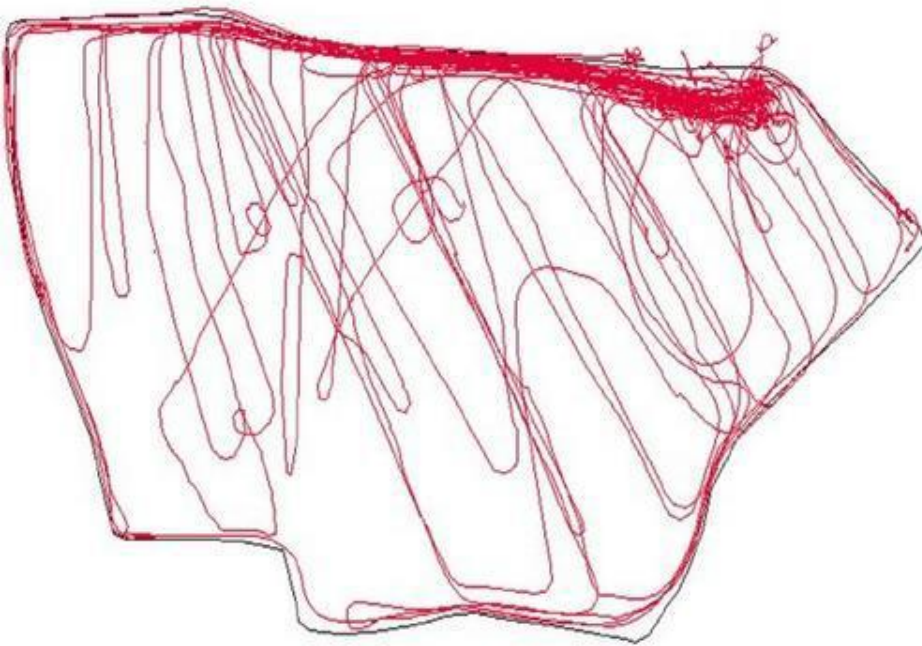


The model



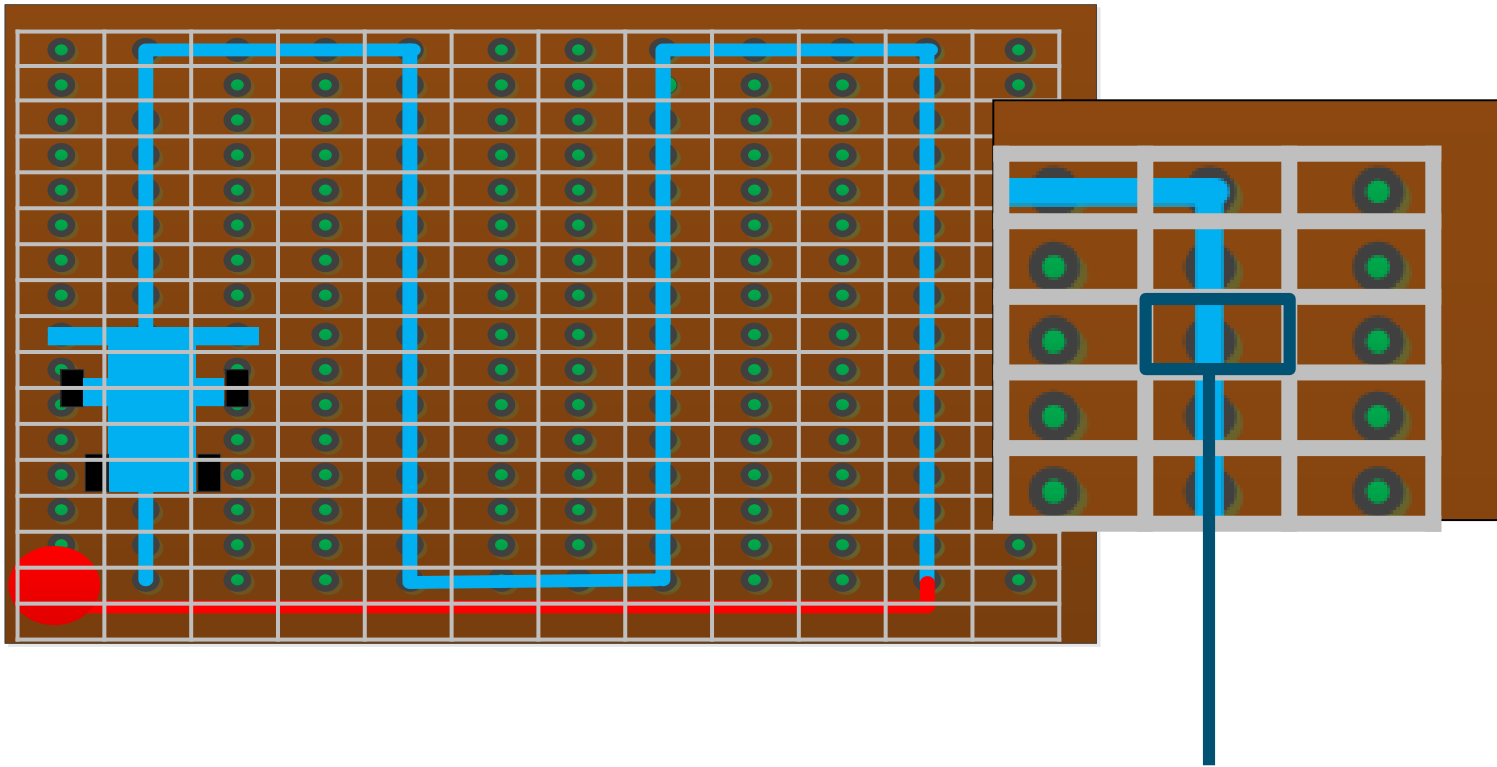
The model

- Empty bunker on headland reduces soil compaction:



(Criado, 2014)

The model



Number of passes
Weight per pass

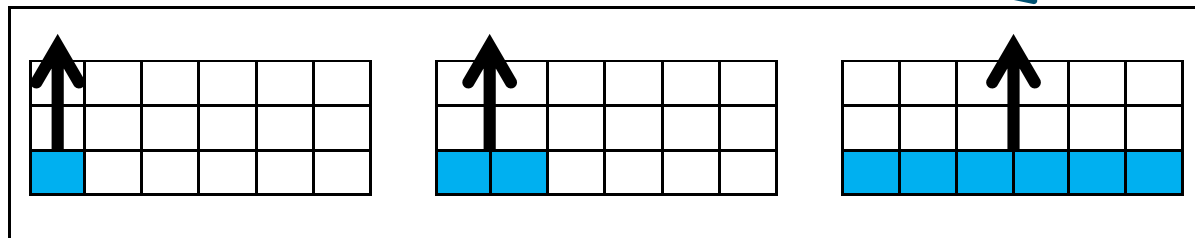
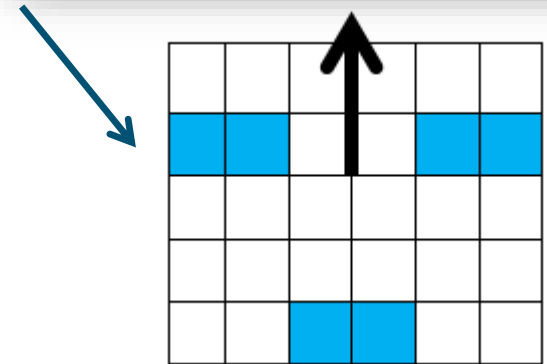


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The model

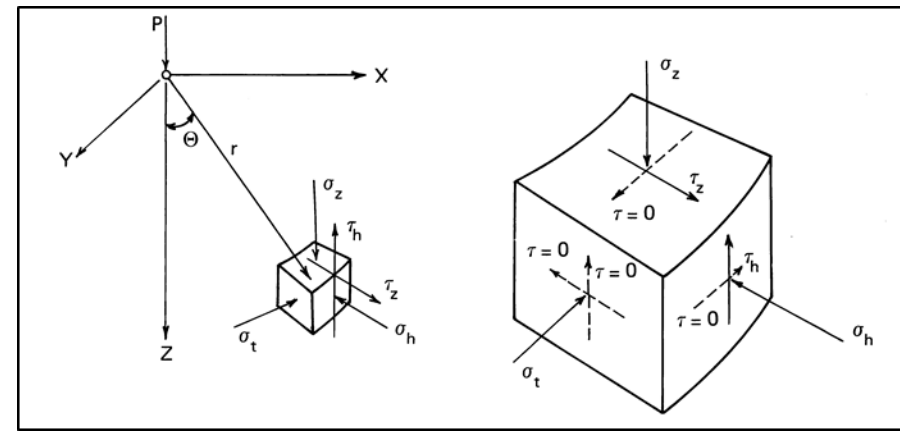
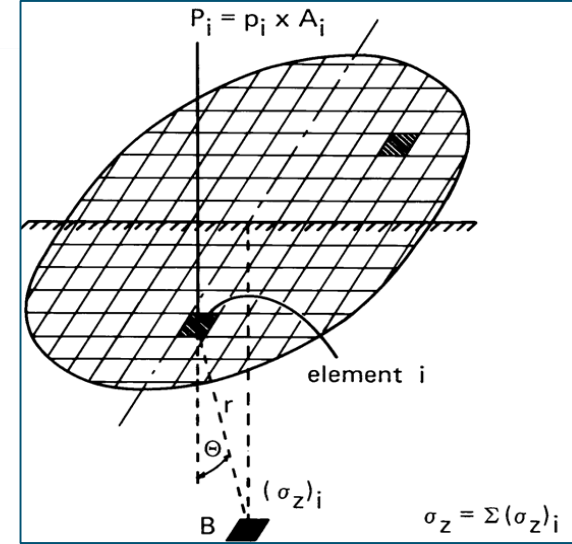
Size of sugar beet harvester

- Working width [rows]
- Empty weight [kg]
- Simulated by loaded cells:
 - Total working width used
 - Soil rolled over once



The model – soil compaction

- Socomo (Van den Akker, 2004)
- Soilflex (Keller et al., 2007)
- Soil sinkage, penetration resistance (Taghavifar and Mardani, 2014)
- Rut depth model (Kalugin and Poletaev, 1968)
Compared favourably with Socomo and Soilflex
and test data (Ksenevich et al., 1985)



The model – soil compaction

■ Rut depth model (Kalugin and Poletaev, 1968)

$$z_n = \left[\left(\sqrt{\frac{9}{16} * a_n^2 + \frac{1}{8} * h^3} + \frac{3}{4} * a_n \right)^{\frac{1}{3}} - \left(\sqrt{\frac{9}{16} * a_n^2 + \frac{1}{8} * h^3} - \frac{3}{4} * a_n \right)^{\frac{1}{3}} \right]^2$$

Where:

z_n = Rut depth after n^{th} pass [m]

$a_n = \frac{W}{B * k_\phi * \sqrt{D}}$ [-]

h = $z_1 + z_2 + \dots + z_{N-1}$ Total rut depth before pass [m]

$z_1 = \left(\frac{3 * W}{2 * B * k_\phi * \sqrt{D}} \right)^{\frac{2}{3}}$ Rut depth after first pass [m]

W = Normal load on wheel or track [kN]

B = Wheel width [m]

k_ϕ = Bekker's frictional modulus of soil deformation [kN/mⁿ⁺²]

D = Wheel overall diameter [m]

The model – economics

- Assumption: no increase in harvesting costs!
 - Calculate maximum purchase price:

$$\text{Purchase price} = \left(\frac{\text{Costs}_{\text{current}} - \text{Costs}_{\text{transport units}}}{\text{Number of needed harvesters}} - \text{Costs}_{\text{variable}} \right) * \text{ha}_{\text{year}} * \text{TL}$$

Where:

| | | | |
|---|---|--------------------------------|---|
| $\text{Costs}_{\text{current}}$ | = | Total current harvester costs | [€*ha ⁻¹] |
| $\text{Costs}_{\text{transport units}}$ | = | Total costs of transport units | [[€*ha ⁻¹] |
| $\text{Costs}_{\text{variable}}$ | = | Variable costs | [€*harvester ¹ *ha ⁻¹] |
| ha_{year} | = | Harvested hectares per year | [ha*year ⁻¹ *harvester ⁻¹] |
| TL | = | Technical life | [years] |



The model – inputs & outputs

Inputs/parameters/ assumptions:

- Labour costs = 0
- Field size and shape
- Harvest capacity
- Fuel cost
- Sugar beet weight
- Empty weight harvester
- ...

Outputs:

- # harvesters needed
- # transport unit needed
- Price per harvester
- Minimum rut depth
- Maximum rut depth
- Average rut depth

Hypotheses

Hypotheses:

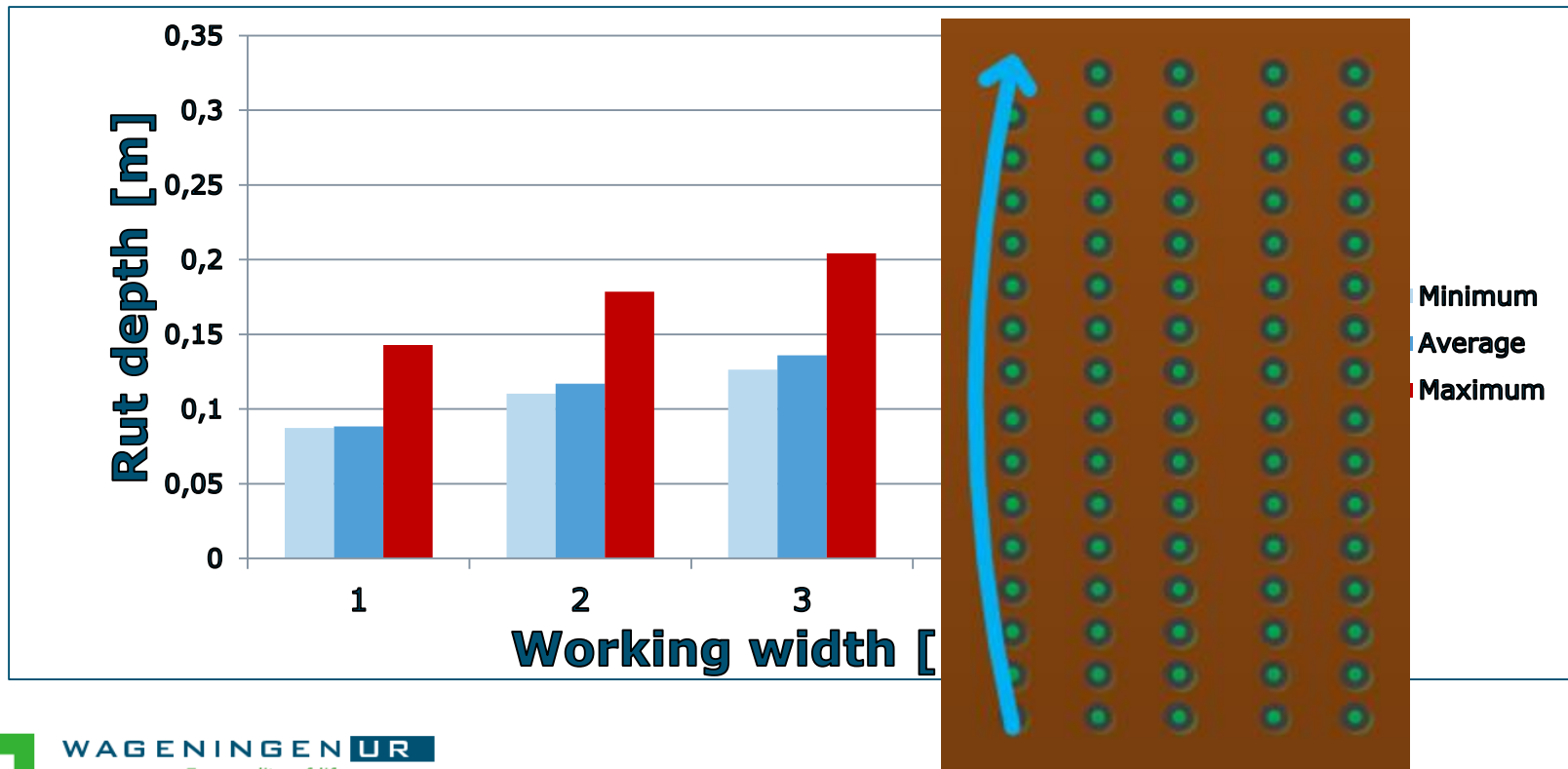
1. Smaller working width leads to less soil compaction
2. Smaller bunker capacity leads to less soil compaction
3. Transport units are needed to increase the maximum purchase price per harvester

Hypothesis 1: working width

Smaller working width leads to less soil compaction



- Working widths: 1,2,3,6 and 12 rows
- Minimum bunker capacity (unloading on headland)



Hypothesis 2: bunker capacity

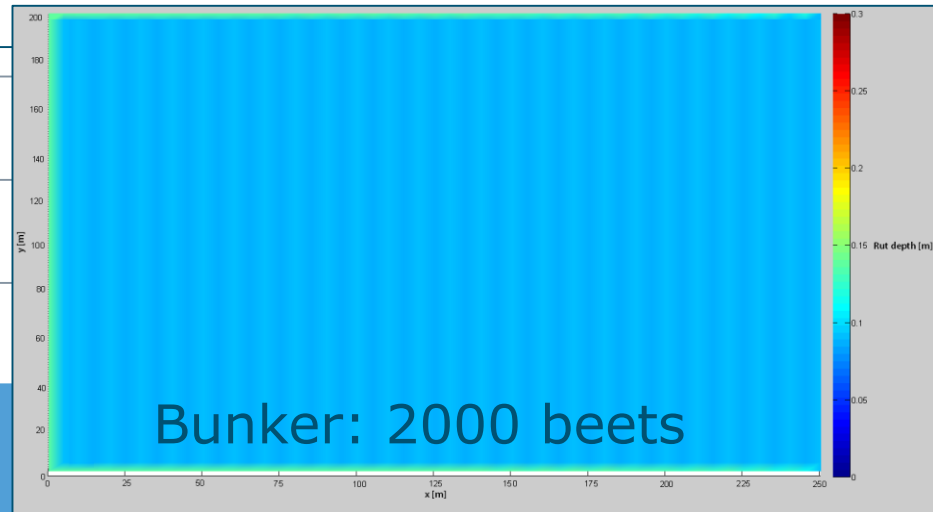
Smaller bunker capacity leads to less soil compaction?

- Bunker capacity was varied:
 - Minimum bunker capacity
 - Two times minimum
 - Four times minimum
 - Ten times minimum
- Different working widths (1 row, 6 rows)

Bunker capacity



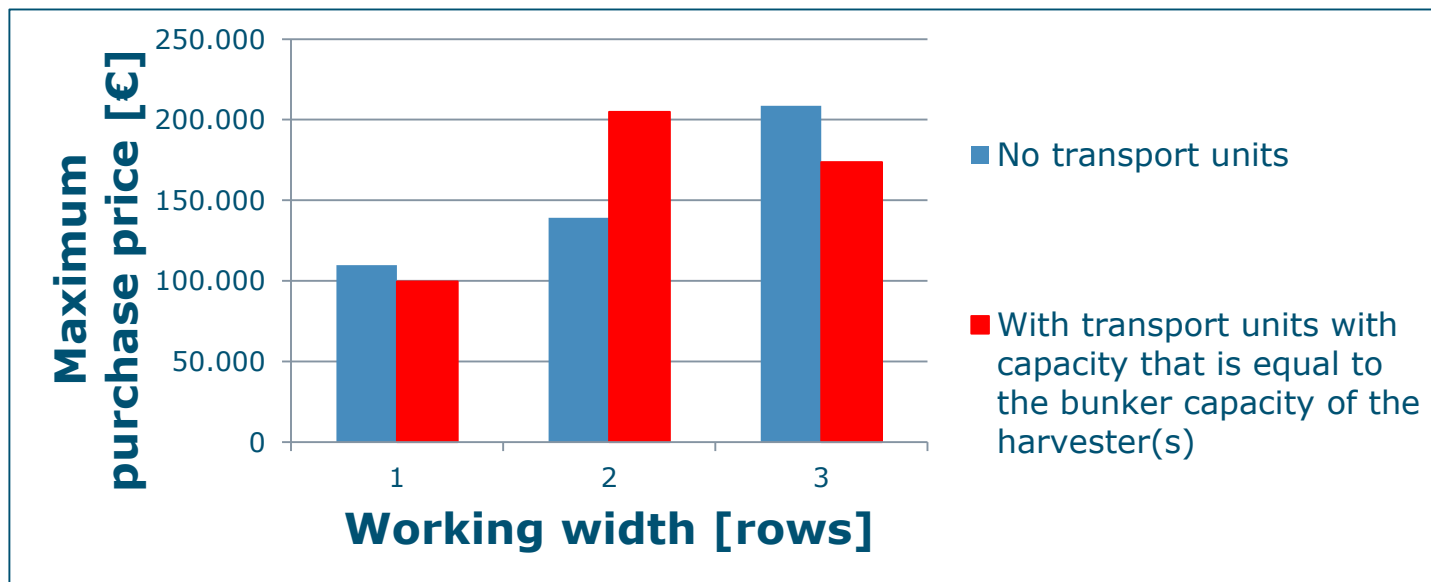
Smaller bunker capacity leads to less soil compaction?



Hypothesis 3: transport units

Transport units are needed to increase the maximum purchase price per harvester?

- Splitting function of transport
- 15 most promising scenarios



Most promising scenario

Most promising in agronomical view:

| Working width [rows] | Bunker capacity [beets] | Capacity transport units [beets] | Number of transport units [-] | Number of harvesters [-] | Average rut depth [m] | Maximum purchase price [€] |
|-------------------------|----------------------------|-------------------------------------|----------------------------------|-----------------------------|--------------------------|----------------------------|
| 1 | 1000 | 1000 | 8 | 4 | 0.0876 | 99,700 |
| 1 | 1000 | - | | 4 | 0.0883 | 109,700 |
| 1 | 2000 | - | | 4 | 0.0938 | 107,900 |
| 1 | 2000 | 2000 | 6 | 3 | 0.0938 | 131,133 |
| 1 | 4000 | - | | 4 | 0.1014 | 104,300 |

Rut depth in current situation: ± 0.20 m

Conclusion/indication...

- Methodology is in place
- With autonomous technology small scale size machinery might become an interesting option:
 - soil compaction
 - economy
- Disclaimer: model study based on a large number of assumptions! ☹️
- So: further research is needed! 😊

Thank you for your attention!

Harvesting wise...

... is using small-size!



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